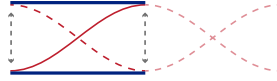


## Cylinders

### Open Cylinder

Fundamental **frequency**:  $f_1 = \frac{v_s}{2L}$

$f_1$  - Frequency of fundamental;  $v_s$  - Speed of sound (343 m/s);  $L$  - Length of cylinder



Fundamental **wavelength**:  $\lambda = 2L$

$\lambda$  - wavelength;  $L$  - Length of cylinder

- Has antinodes at both ends
- Can produce all harmonics

### Closed Cylinder

Fundamental **frequency**:  $f_1 = \frac{v_s}{4L}$

$f_1$  - Frequency of fundamental;  $v_s$  - Speed of sound (343 m/s);  $L$  - Length of cylinder



Fundamental **wavelength**:  $\lambda = 4L$

$\lambda$  - wavelength;  $L$  - Length of cylinder

- Has an antinode at the open end; a node at the closed end.
- Can produce only odd-numbered harmonics

#### Harmonic $f$ & $\lambda$

$$f_n = nf_1$$

$$\lambda_n = \lambda_1 / n$$

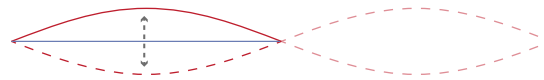
$f_1$  = fundamental frequency

$\lambda_1$  = fundamental wavelength

## Vibrating String

Fundamental **frequency**:  $f_1 = \frac{v_w}{2L}$

$f_1$  - Frequency of fundamental;  $v_w$  - Speed of wave on string;  $L$  - String length



Fundamental **wavelength**:  $\lambda = 2L$

$\lambda$  - wavelength;  $L$  - String length

Wave **velocity**,  $v_w = \sqrt{\frac{TL}{m}}$

$v_w$  - Speed of wave on string;  $T$  - String tension;  $L$  - String length;  $m$  - String mass

- Has an nodes both ends
- Can produce all harmonics
- Has a node at both ends.